

Deacon's Challenge

No 143 - Answer

The distribution of genotypes seen in Chemist's Disease is as shown. Calculate the frequency of the two alleles CCR-5 and ccr-5, and state whether these frequencies accord with the Hardy-Weinberg equilibrium.

Genotype	Number of individuals
CCR-5/CCR-5	568
CCR-5/ccr-5	134
ccr-5/ccr-5	2
Total	704

FRCPath, Spring 2012

$$\text{No of CCR-5 alleles} = (2 \times \text{CCR-5/CCR-5}) + \text{CCR-5/ccr-5} = (2 \times 568) + 134 = 1270$$

$$\text{No of ccr-5 alleles} = (2 \times \text{ccr-5/ccr-5}) + \text{CCR-5/ccr-5} = (2 \times 2) + 134 = 138$$

$$\text{Total alleles} = 1270 + 138 = 1408 \quad (\text{i.e. same as } 2 \times 704)$$

$$\text{Frequency of CCR-5 allele} = \frac{\text{CCR-5 alleles}}{\text{Total alleles}} = \frac{1270}{1408} = 0.902 \quad (\text{i.e. } 90.2\%)$$

$$\text{Frequency of ccr-5 allele} = \frac{\text{ccr-5 alleles}}{\text{Total alleles}} = \frac{138}{1408} = 0.098 \quad (\text{i.e. } 9.8\%)$$

Next calculate the expected numbers of the three genotypes (using these frequencies) if the Hardy-Weinberg equilibrium applies (rounded to whole numbers):

$$\text{Expected CCR-5/CCR-5} = \text{CCR-5 frequency}^2 \times \text{Total} = 0.902^2 \times 704 = 573$$

$$\begin{aligned} \text{Expected CCR-5/ccr-5} &= 2 \times \text{CCR-5 frequency} \times \text{ccr-5 frequency} \times \text{Total} \\ &= 2 \times 0.902 \times 0.098 \times 704 = 124 \end{aligned}$$

$$\text{Expected ccr-5/ccr-5} = \text{ccr-5 frequency}^2 \times \text{Total} = 0.098^2 \times 704 = 7$$

Finally carry out a chi-squared test to compare the numbers of expected (*E*) and observed (*O*) genotypes:

$$\text{Chi-squared} = \sum (O - E)^2/E$$

Genotype	Observed (<i>O</i>)	Expected (<i>E</i>)	(<i>O</i> - <i>E</i>)	(<i>O</i> - <i>E</i>) ² / <i>E</i>
CCR-5/CCR-5	568	573	-5	0.0436
CCR-5/ccr-5	134	124	10	0.8065
ccr-5/ccr-5	2	7	-5	3.5714
Total (chi-squared) =				4.4215

ACB News | Issue 600 | April 2013

Practice FRCPath Style Calculations | 13

Normally the degrees of freedom would be $n - 1 = 3 - 1 = 2$. However, since the observed values were used to calculate the gene frequencies which in turn were used to calculate the expected values, a further degree of freedom is lost leaving only one.

From tables the probability (*P*-value) of obtaining a chi-squared value of 4.42 if there was no real difference between the observed and expected values (i.e. the observed data obeyed the Hardy-Weinberg equilibrium) is between 0.01 and 0.05. **Therefore at the 5% level of probability the observed frequencies are NOT in accord with the Hardy-Weinberg equilibrium.**

Question 144

You are provided with brief details of a method to measure peptide-X. If the mean result of assaying a redissolved extract of peptide-X gives a result of 8 fmol/tube, calculate the concentration of peptide-X in the original sample, expressing the answer in appropriate units.

Immunoassay method for peptide-X:

Extract 1 mL of serum with 5 mL of methanol.
Evaporate methanol to dryness under nitrogen, and redissolve residue in 250 μ L of assay buffer.

Assay aliquots (100 μ L) of this solution by immunoassay in duplicate.

Calibrate the assay against non-extracted standards to give a result in terms of femtomoles (fmol) per assay tube.

Average expected recovery for peptide-X extraction is 80%.

FRCPath, Spring 2012

What a Twitter...